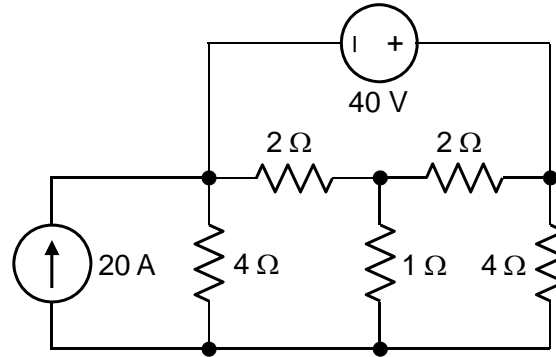
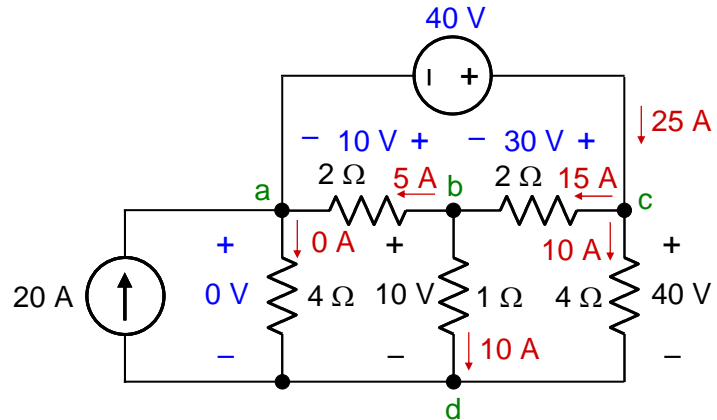
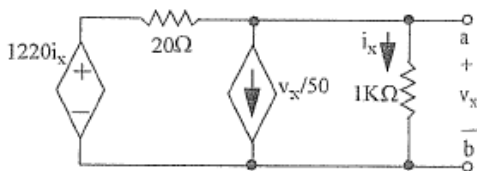


Determine all the currents and voltages in the circuit using superposition and mark them on the circuit diagram.



**Solution:**



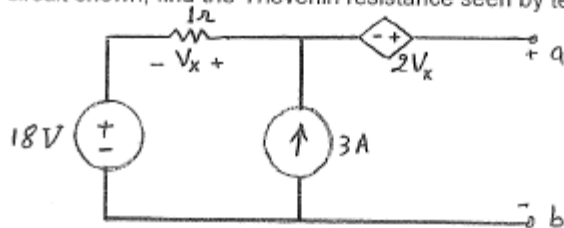


**Figure 10**

**12.** Find the Thevenin equivalent of the circuit shown in figure 10.

- a)  $V_{th} = 10V$  and  $R_{th} = 1K$
- b)  $V_{th} = 0V$  and  $R_{th} = 0.1K$**
- c)  $V_{th} = 10V$  and  $R_{th} = 2K$
- d)  $V_{th} = 1V$  and  $R_{th} = 1K$
- e) None of the above

10. For the circuit shown, find the Thevenin resistance seen by terminals ab




- A.  $4\Omega$
- B.  $5\Omega$
- C.  $3\Omega$
- D.  $6\Omega$
- E. None of the above.

2. In the circuit of Figure 1, the Thevenin resistance as seen from terminals ab is:

- a.  $100/3\Omega$
- b.  $100/9\Omega$
- c.  $50/9\Omega$
- d.  $10\Omega$
- e. None of the above

Refer to figures  
below

10. In the circuit of Figure 8, the Thevenin equivalent resistance, across terminals a-b, is:

- a.  $20\Omega$
- b.  $5\Omega$
-  c.  $-20\Omega$
- d.  $10\Omega$
- e. None of the above

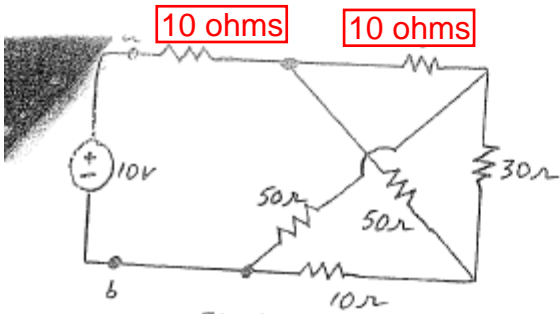


Fig. 1

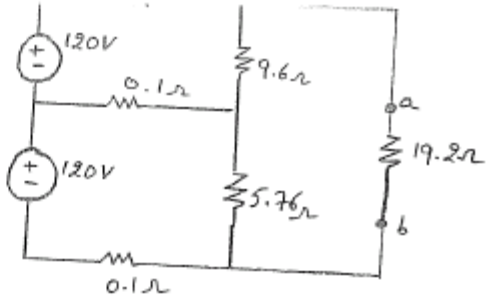


Fig. 5

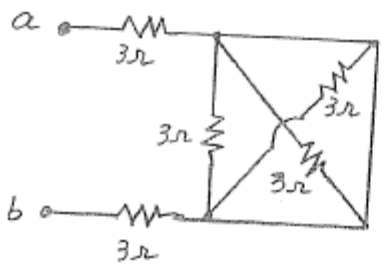


Fig. 2

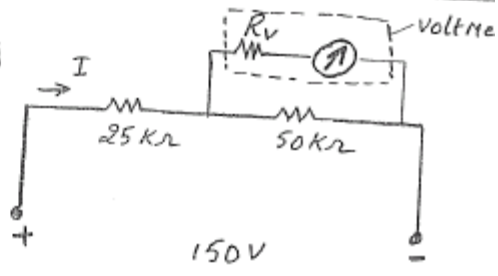


Fig. 6

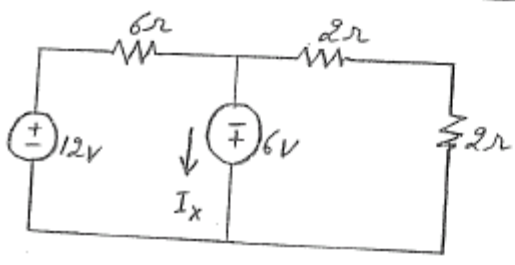


Fig. 3

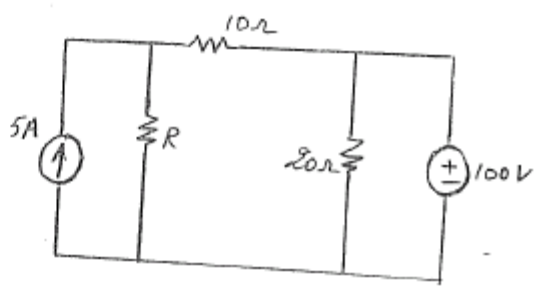


Fig. 7

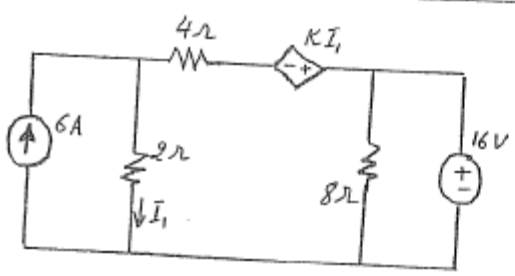


Fig. 4

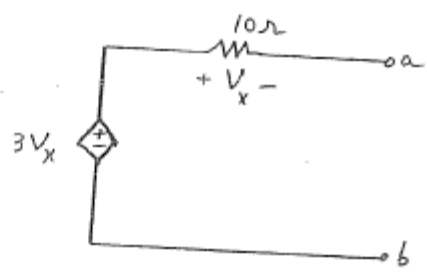
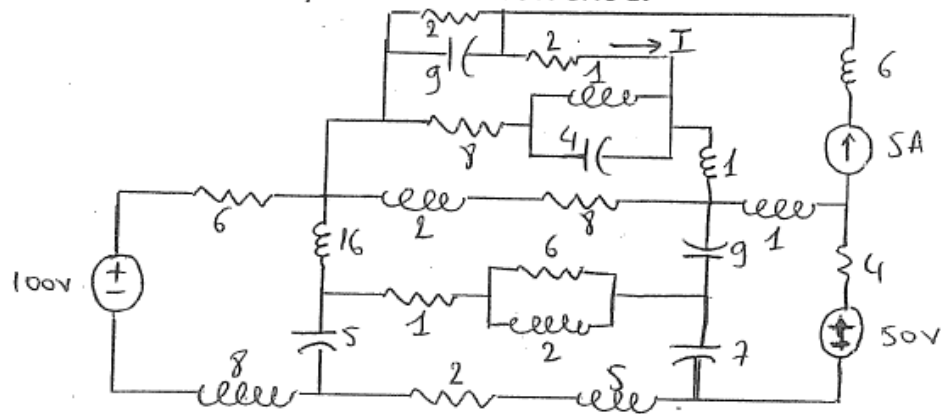


Fig. 8

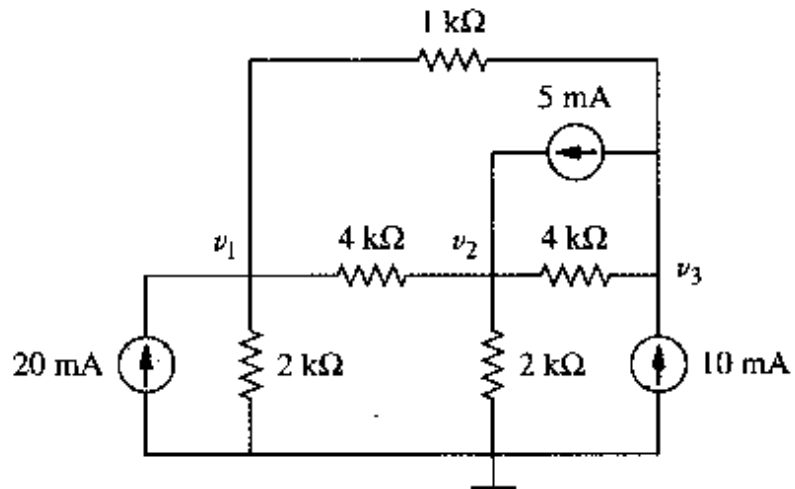
25. Consider the circuit below, connected for a long time. All resistors are in Ohm, capacitors in Farads and inductors in Henrys. Find the current  $I$ .



- a) 5.357 A  
  b) 11.25 A  
  c) 7.5 A  
  d) 22.5 A  
  e) NOA

**Problem 1 (10 pts)**

Consider the circuit shown below.



1. We, first, set the current sources 5 mA and 10 mA to zero. Determine the equivalent resistance seen by the 20 mA current source. (5 pts)

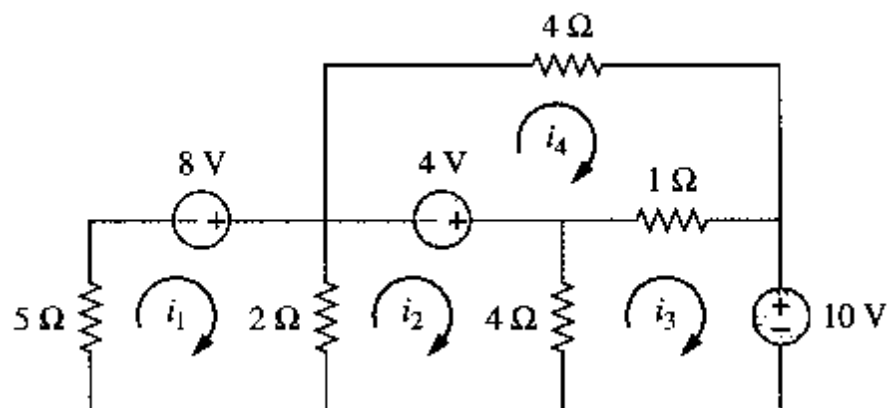
$$R_1 = (4 + 1) \parallel 4 = 20/9 \text{ k}\Omega; R_2 = 20/9 + 2 = 38/9 \text{ k}\Omega, R_{eq} = 2 \parallel (38/9) = 19/14 = 1.36 \text{ k}\Omega$$

2. Write the node voltage equations by inspections (**do not solve**) (5 pts)

$1.75V_1$	$-$	$0.25V_2$	$-$	$V_3$	$=$	$20$
$-0.25V_1$	$+$	$V_2$	$-$	$0.25V_3$	$=$	$5$
$-V_1$	$-$	$0.25V_2$	$+$	$1.25V_3$	$=$	$5$

**Problem 2 (10 pts)**

Consider the circuit shown below





1. We, first, set the 4V source and the 10V source to zero. Determine the equivalent resistor seen by the 8V voltage source. (5 pts)

$$R_{eq} = 5 + (2 || 4 || 4 || 1) = 5 + 0.5 = 5.5 \Omega$$

2. Write the mesh-current equations. (**do not solve**). (5 pts)

$$\begin{array}{rcccccc} 7I_1 & - & 2I_2 & - & 0I_3 & - & 0I_4 & = & 8 \\ -2I_1 & + & 6I_2 & - & 4I_3 & - & 0I_4 & = & 4 \\ 0I_1 & - & 4I_2 & + & 5I_3 & - & I_4 & = & -10 \\ 0I_1 & - & 0I_2 & - & I_3 & + & 5I_4 & = & -4 \end{array}$$

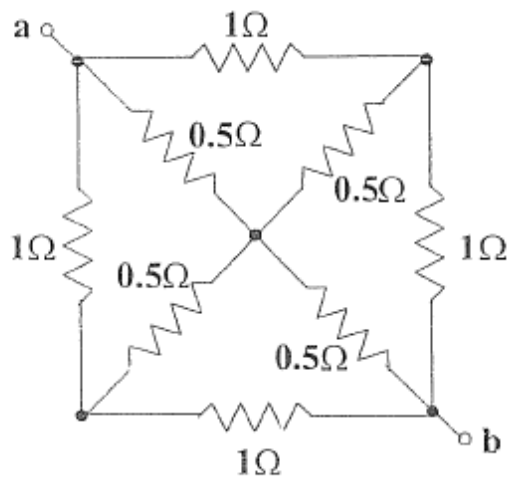


Figure 20

21. Determine the resistance between terminals a b in figure 20.

- a)  $0.5\Omega$
- b)  $0.6\Omega$
- c)  $1.5\Omega$
- d)  $0.25\Omega$

1. Determine the equivalent resistance between terminals a and b, given that all resistances are  $1\ \Omega$ .

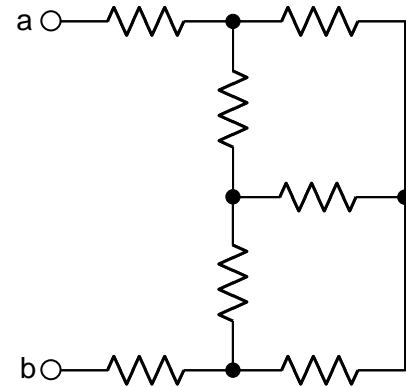
A.  $5\ \Omega$

B.  $4.5\ \Omega$

C.  $4\ \Omega$

D.  $3\ \Omega$

E. None of the above

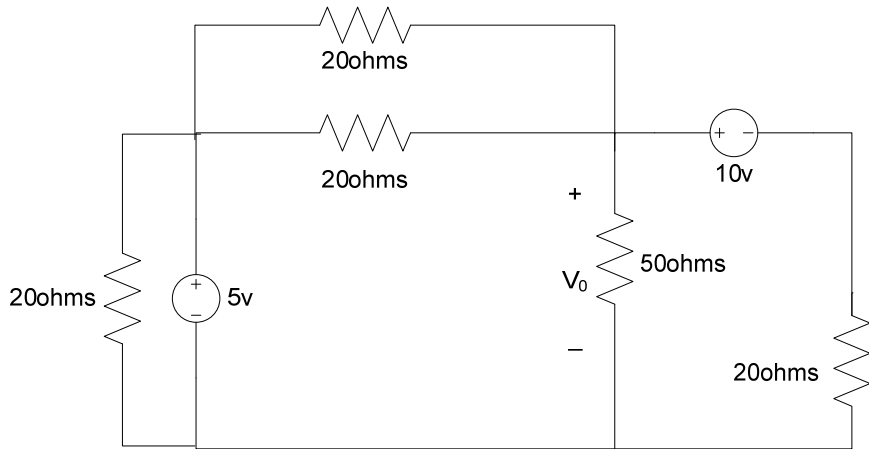


**Solution:** The resistances not connected directly to terminals a and b form a balanced bridge. Hence the resistance across the bridge does not carry any current and can be replaced by an open circuit or a short circuit. If replaced by an open circuit,  $R_{eq} = 1 + 2 || 2 + 1 = 3\ \Omega$ .

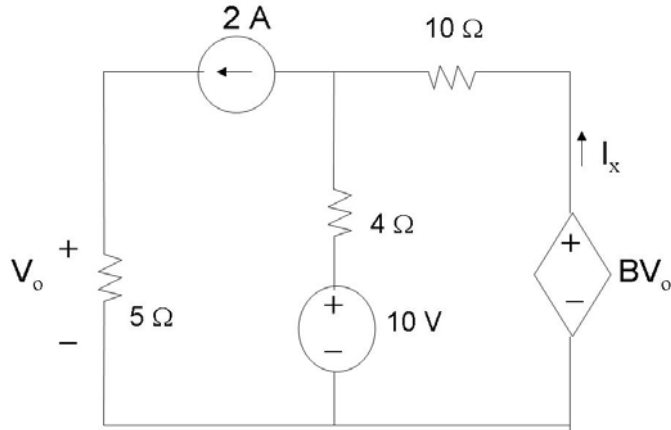
## Problem 2

Find the power consumed by the 50 ohm resistor in the circuit shown below

- A)  $P = 0.246 \text{ W}$
- B)  $P = 0.692 \text{ W}$**
- C)  $P = 2.358 \text{ W}$
- D)  $P = 5.100 \text{ W}$
- E) None of the above



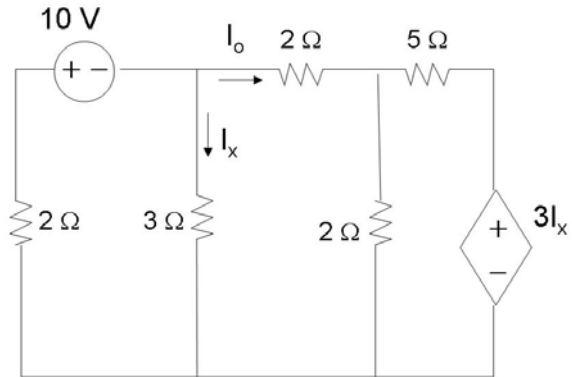
### Problem 6



Given the circuit above, determine the current  $I_x$  if voltage-controlled current source has  $B=0.2$ :

- A) 0
- B) 0.285
- C) 1.285
- D) 0.5
- E) None of the above

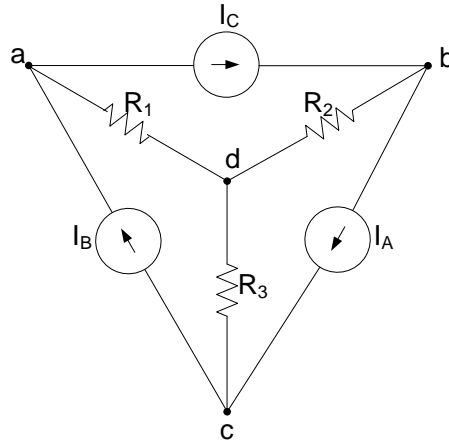
### Problem 11



What is  $I_o$ ?

- A) 1 A
- B) -1 A
- C) 2 A
- D) -2 A
- E) None of the above

### Problem 5



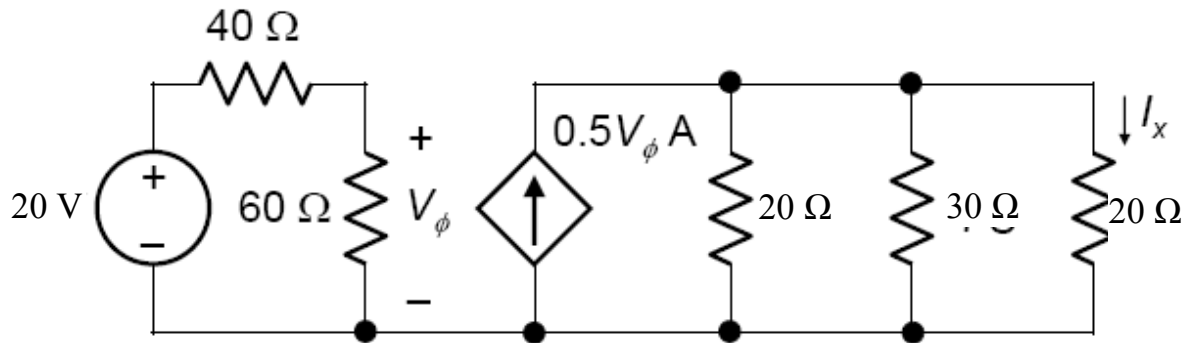
The following values are given:

$I_A = 1 \text{ mA}$ ,  $I_B = 2 \text{ mA}$ ,  $I_C = 4 \text{ mA}$ ,  $R_1 = R_2 = R_3 = 1 \text{ k}\Omega$ ,

What is the value of  $V_{bc}$ ?

- A) 4 V
- B) -2 V
- C) 1 V
- D) 5 V
- E) None of the above

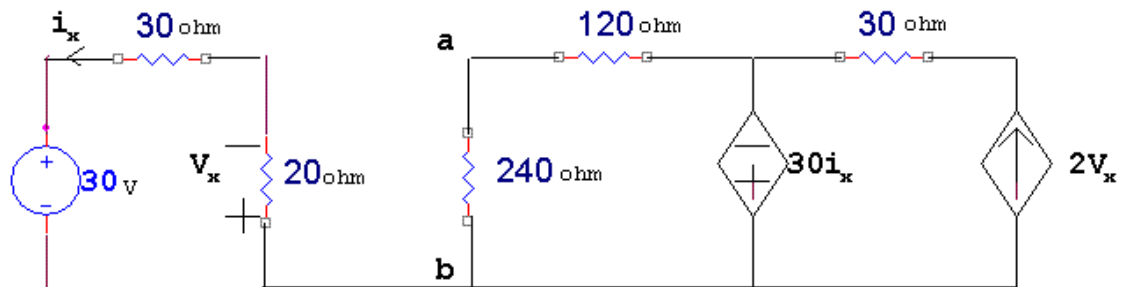
**Problem 9**



Find  $I_x$ .

- A) 4.2 A
- B) 3.5 A
- C) 2.25 A
- D) 4.75 A
- E) None of the above

**Problem 10**

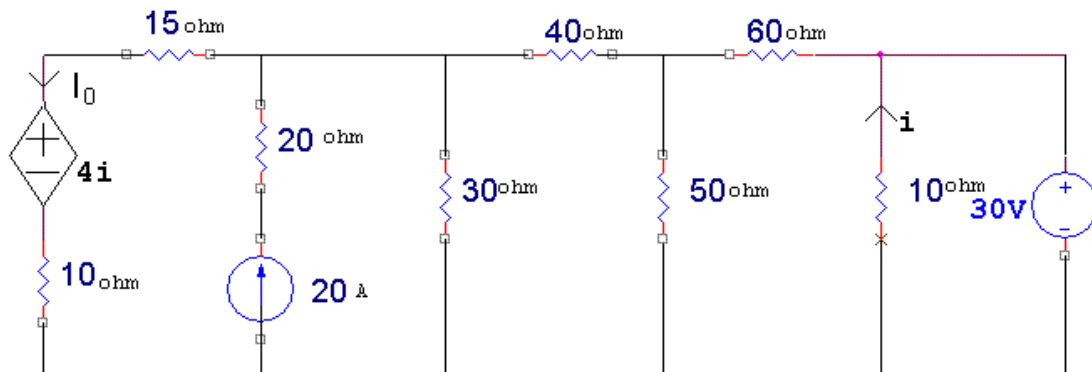


Find the Thevenin equivalent across terminals a and b.

- A)  $R_{TH} = 40\Omega$ ,  $V_{TH} = 6.67\text{ V}$
- B)  $R_{TH} = 40\Omega$ ,  $V_{TH} = -6.67\text{ V}$
- C)  $R_{TH} = 80\Omega$ ,  $V_{TH} = 12\text{ V}$
- D)  $R_{TH} = 80\Omega$ ,  $V_{TH} = -12\text{ V}$
- E) None of the above



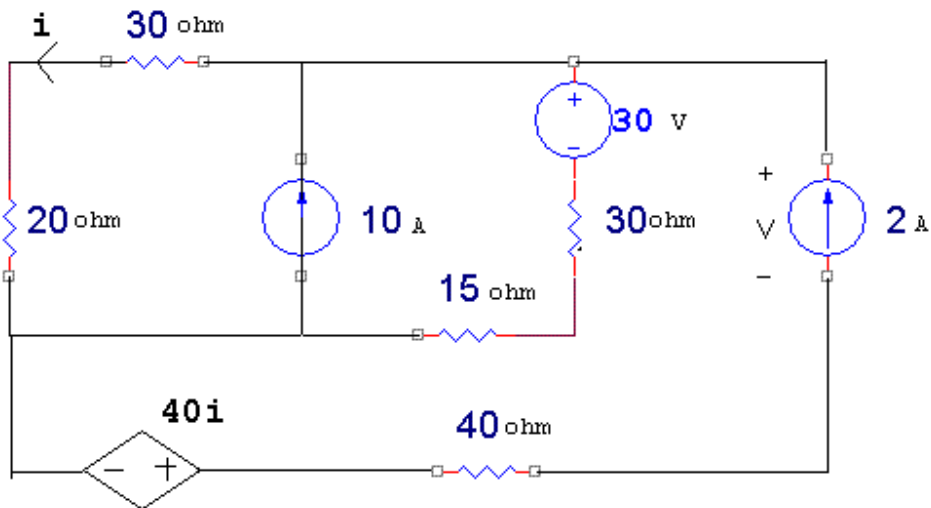
**Problem 11**



Find the current,  $I_0$ , flowing through the dependant source.

- A) 9.4A
- B) 14A
- C) -3A
- D) -12A
- E) None of the above.

**Problem 12**



Find the voltage,  $V$ , across the 2A source.

- A) 400 V
- B) 140 V
- C) 6 V
- D) -300 V
- E) None of the above

**P3.1.25** Determine  $V_O$  in Fig. P3.1.25 using node-voltage analysis.

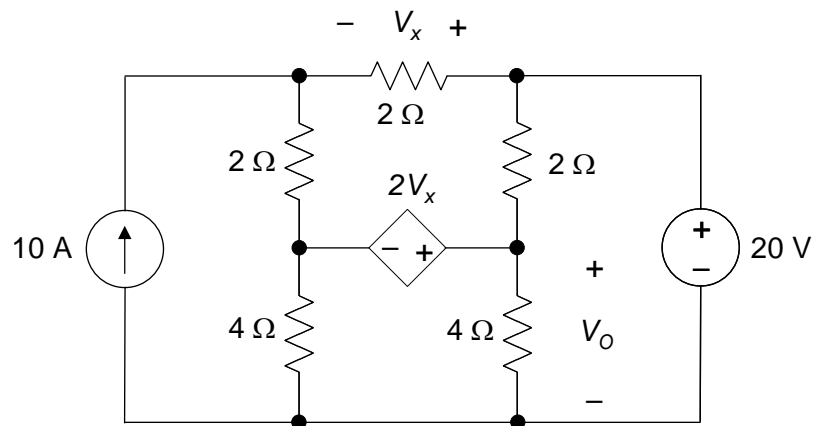
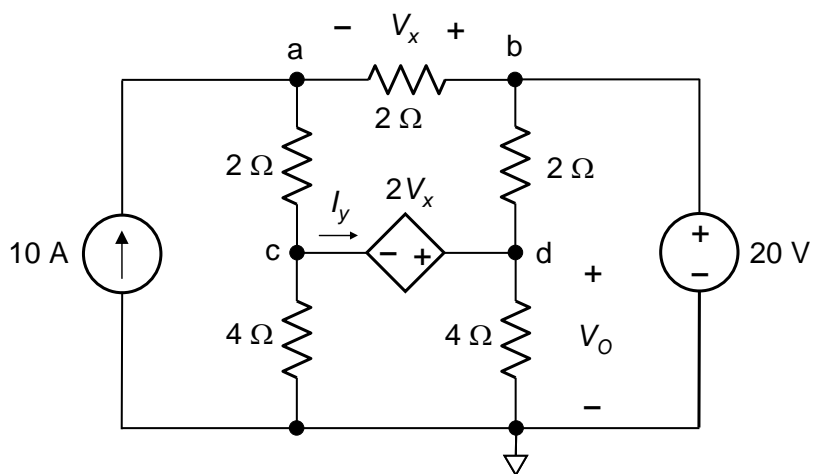


Figure P3.1.25

**Solution:** The node-voltage equation for node a is:  $V_a - 0.5V_b - 0.5V_c = 10$ ; substituting  $V_b = 20$  V:  $V_a - 0.5V_c = 20$ . For node c:  $-0.5V_a + 0.75V_c = -I_y$ ; for node d:  $-0.5V_b + 0.75V_d = I_y$ ; adding and substituting for  $V_b$ :  $-0.5V_a + 0.75V_c + 0.75V_d = 10$ . For the dependent source:



$V_d - V_c = 2V_x = 2V_b - 2V_a$ , or  $2V_a - V_c + V_d = 40$ . Solving,  $V_a = 40$  V,  $V_c = 40$  V,  $V_d = V_O = 0$ .

**P3.1.26** Determine  $V_O$  in Fig. P3.1.25 using mesh-current analysis.

**Solution** For mesh 2:

$$-2I_1 + 6I_2 - 2I_4 =$$

$-2V_x$ ; substituting  $I_1 = 10$  and

$$V_x = -2I_2: I_2 - I_4 = 10. \text{ For}$$

$$\text{mesh 3: } -4I_1 + 8I_3 - 4I_4 =$$

$$2V_x;$$

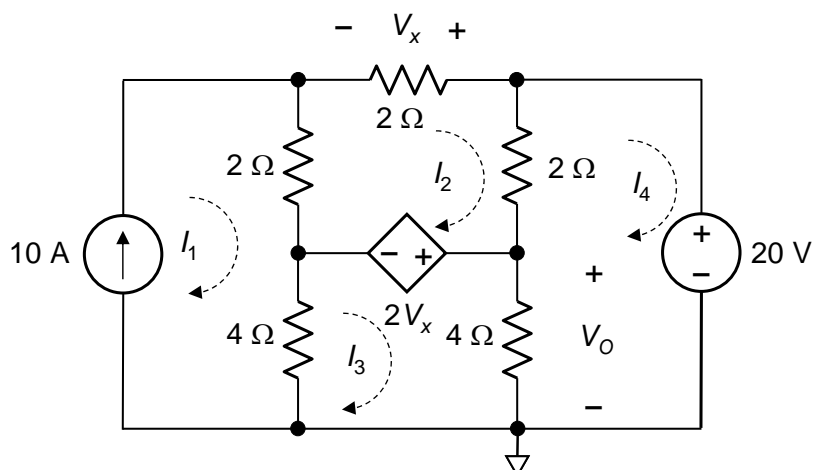
$$I_2 + 2I_3 - I_4 = 10. \text{ For mesh 4:}$$

$$-2I_2 - 4I_3 + 6I_4 = -20, \text{ or } -I_2 -$$

$$2I_3 + 3I_4 = -10. \text{ Solving, } I_2 =$$

$$10 \text{ A, } I_3 = 0, \text{ and } I_4 = 0,$$

which gives  $V_O = 0$ .



**P3.2.12** Determine  $V_o$  in Fig. P3.1.19 using superposition and calculate the power dissipated in the  $5\ \Omega$  resistor.

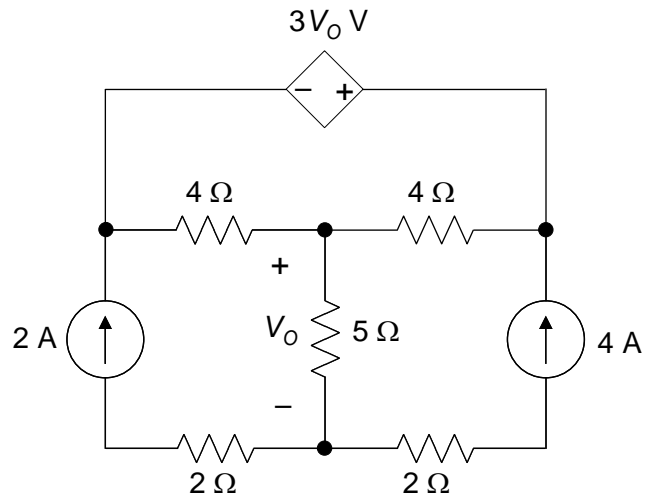
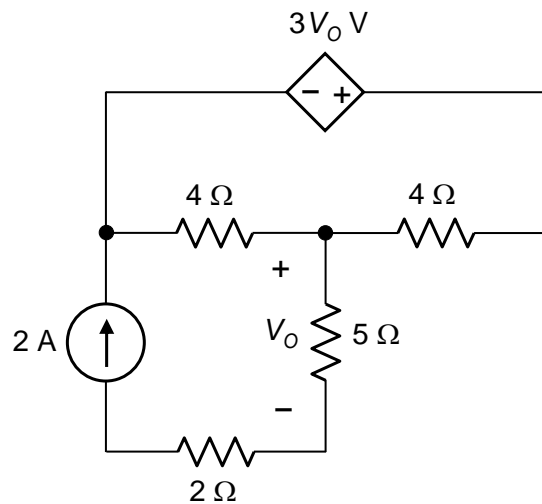


Figure P3.1.19

**Solution:** With the 2 A source acting alone, the circuit becomes as shown. The source current flows through the  $5\ \Omega$  resistor, so that  $V_{o1} = 10$  V. Similarly, when the 4 A source is applied alone,  $V_{o2} = 20$  V. From superposition,  $V_o = V_{o1} + V_{o2} = 30$  V. The dependent source does not contribute to  $V_o$ .

Power dissipated in the  $5\ \Omega$  resistor is

$$\frac{(30)^2}{5} = 180\text{ W.}$$



**P3.2.13** Determine  $I_o$  in Fig.

P3.1.21 using superposition and calculate the power dissipated in the 5 S resistor.

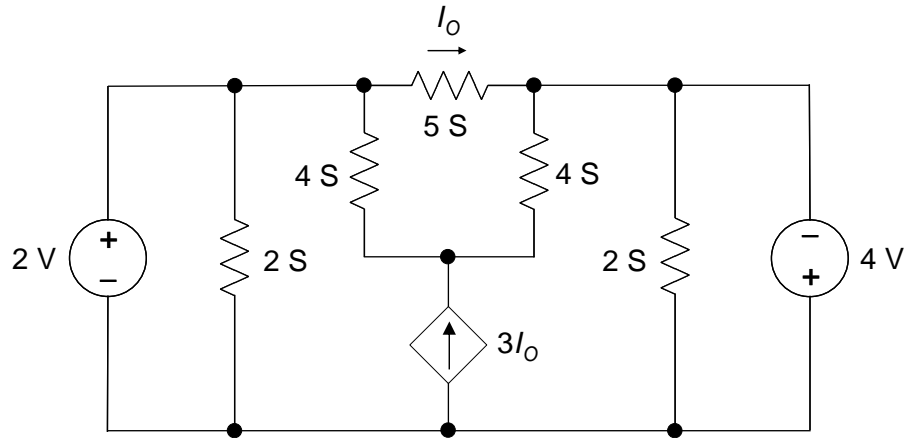
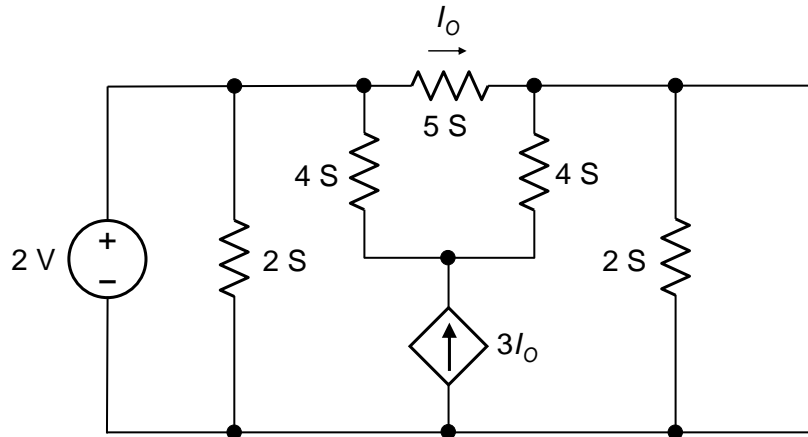


Figure P3.1.21

**Solution:** With the 2 V source acting alone, and the 4 V source replaced by a short circuit, the circuit becomes as shown. The source voltage is applied across the 5 S resistor, so that  $I_{o1} = 10$  A. Similarly,



when the 4 V source is applied alone,  $I_{o2} = 20$  A. From superposition,  $I_o = I_{o1} + I_{o2} = 30$  A. The dependent source does not contribute to  $I_o$ . Power dissipated in the 5 S resistor is

$$\frac{(30)^2}{5} = 180 \text{ W.}$$

**P4.1.8** Derive TEC between terminals ab in Fig. P4.1.8.

**Solution:** Let us first remove the  $20\ \Omega$  resistor and reapply it later. On open circuit, each  $1\ \text{A}$  source produces a  $10\ \text{V}$  drop across the resistor in parallel with it. Hence  $V_{oc1} = 20\ \text{V}$ . On short circuit,  $I_{sc} = 1\ \text{A}$ , so that  $R_{Th1} = 20\ \Omega$ . When the  $20\ \Omega$  resistor is added at terminals ab,  $V_{Th} = 20 \times (20/40) = 10\ \text{V}$  and  $R_{Th} = (20 || 20) = 10\ \Omega$

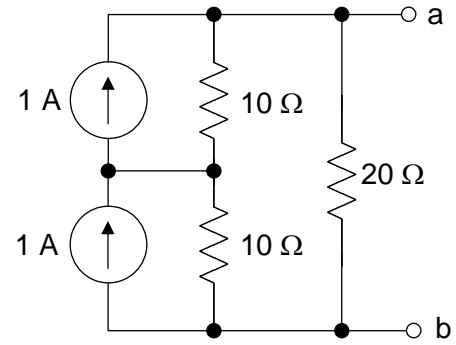
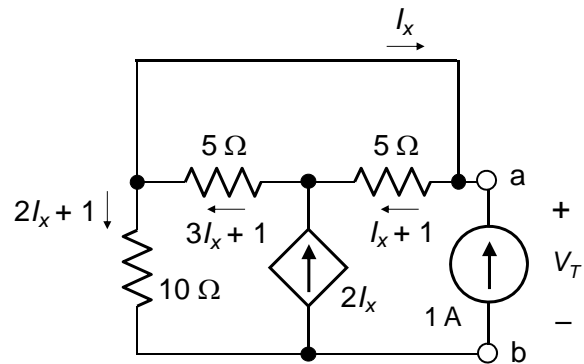
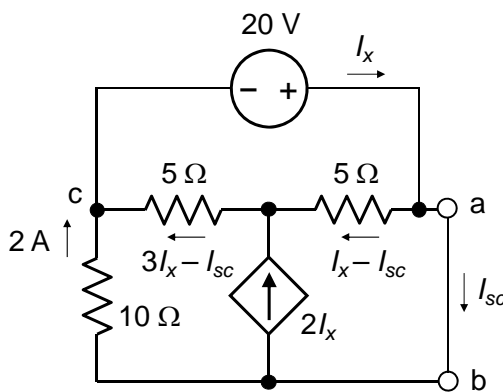
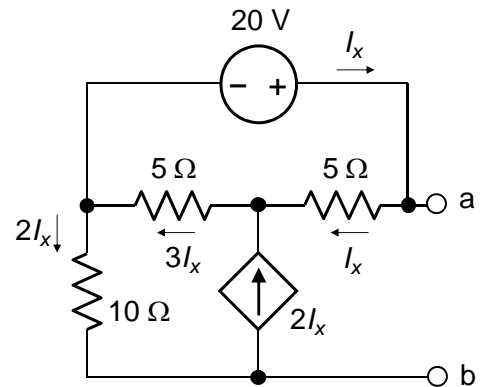


Figure P4.1.8

**P4.1.9** Derive TEC between terminals ab in Fig. P4.1.9.

**Solution:** On open circuit, KVL around the upper mesh gives  $20I_x = 20$ , or  $I_x = 1\ \text{A}$ . It follows that  $V_{Th} = V_{oc} = 20 + 20I_x = 40\ \text{V}$ .

On short circuit, the current in the  $10\ \Omega$  resistor is  $2\ \text{A}$ . KVL around the upper mesh gives:  $20 = 5(I_x - I_{sc}) + 5(3I_x - I_{sc})$ , or  $2I_x - I_{sc} = 2$ ; from KCL at node c:  $3I_x - I_{sc} + 2 = I_x$ , or  $2I_x - I_{sc} = -2$ . This means that  $I_x$  and  $I_{sc}$  are indeterminate. This suggests that  $R_{Th} = 0$ , which would make  $I_{sc}$  indeterminate. To verify this, we apply a test source of  $1\ \text{A}$ , with the voltage source set to zero. Then,  $4I_x + 2 = 0$ , so that  $I_x = -0.5\ \text{A}$  and  $V_T = 2(-0.5) + 1 = 0$ . Hence  $R_{Th} = 0$ .



**P4.1.10** Derive NEC between the short-circuited terminals ab in Fig. P2.1.4.

**Solution:** If a test voltage is applied, KCL at node a gives  $I_\phi = I_T + 3$ . From KCL at node c,  $I_T + 3 + 10 = 5$ , or  $I_T = -8$  A, irrespective of  $V_T$ . It follows that  $I_N = 8$  A. Since  $I_T$  is independent of  $V_T$ , it means that there is no resistance in parallel with the current source  $I_N$ .

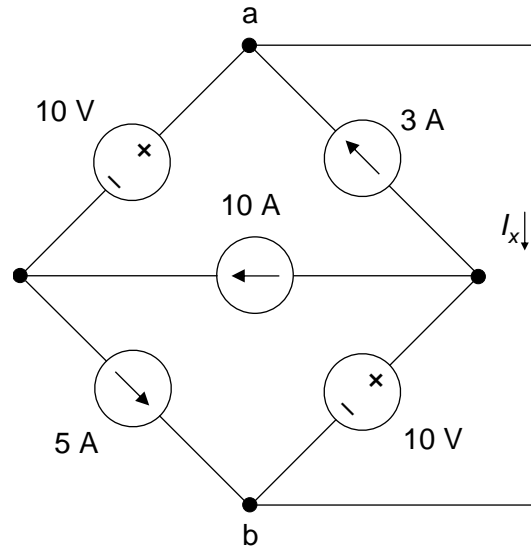
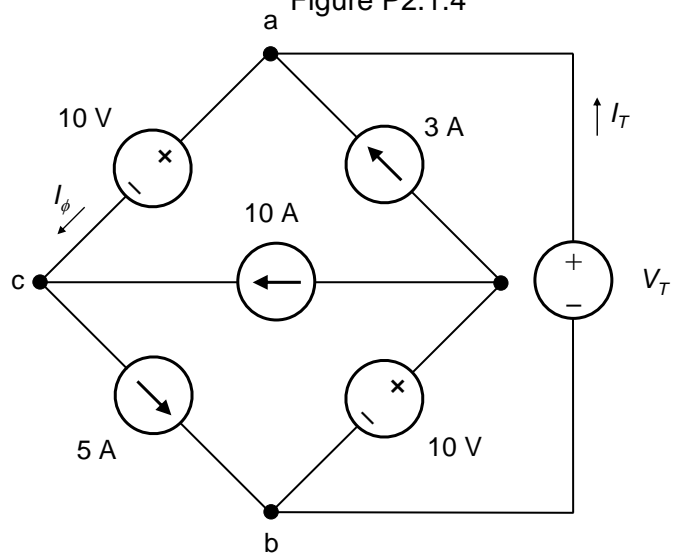


Figure P2.1.4



**P4.1.11** Determine  $V_O$  in Fig. P3.1.7 using TEC.

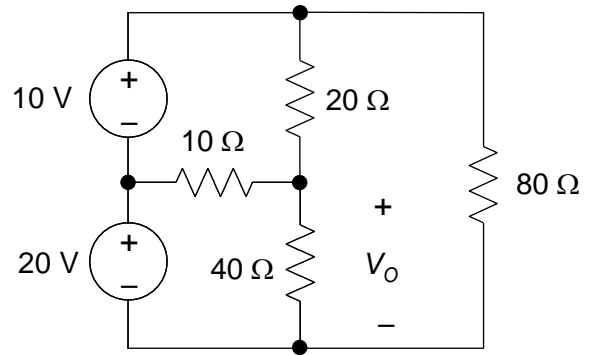


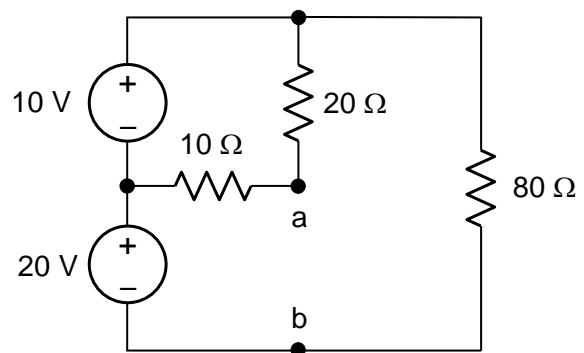
Figure P3.1.7

**Solution:** Open-circuit voltage: When only the

10 V source is applied,  $V_{Th1} = \frac{10}{30} \times 10 = \frac{10}{3}$  V.

When only the 20 V source is applied  $V_{Th2} = 20$  V. Hence,  $V_{Th} = 70/3$  V. With both sources set to zero,  $R_{Th} = 10 \parallel 20 = 20/3 \Omega$ . It follows that  $V_O$

$$= \frac{40}{40 + 20/3} \times \frac{70}{3} = 20 \text{ V.}$$



**P4.1.12** Determine  $I_o$  in Fig. P3.1.9 using NEC.

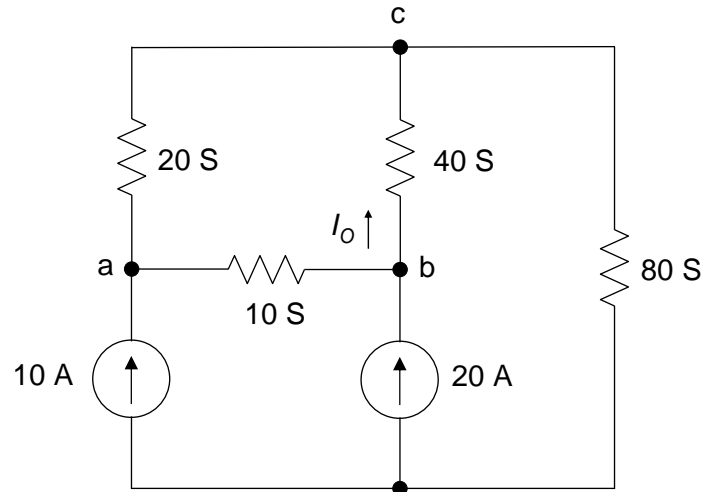


Figure P3.1.9

**Solution:** With the 10 A source acting alone,  $I_{M1} = \frac{10}{30} \times 10 = \frac{10}{3}$  A. With the 20

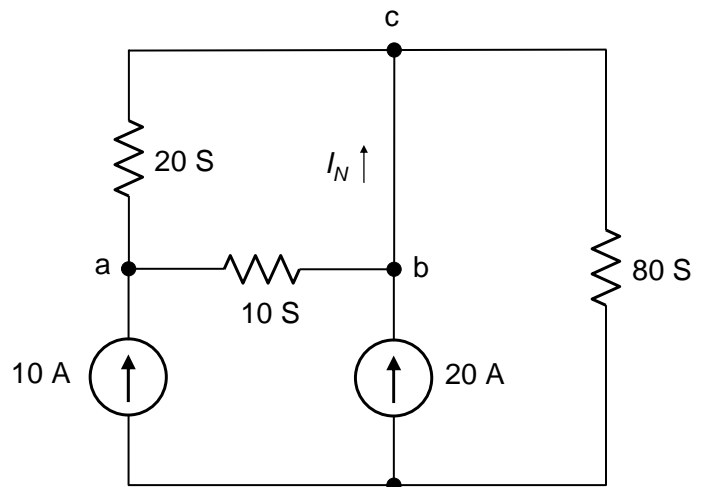
A source acting alone,  $I_{M2} = 20$  A.

Hence,  $I_N = 70/3$  A.

The conductance between terminals bc

is  $\frac{20 \times 10}{20 + 10} = \frac{20}{3}$  S. It follows from NEC

that  $I_o = \frac{40}{40 + 20/3} \times \frac{70}{3} = 20$  A.





**P4.1.15** Determine  $V_O$  in Fig. P3.1.15 using TEC.

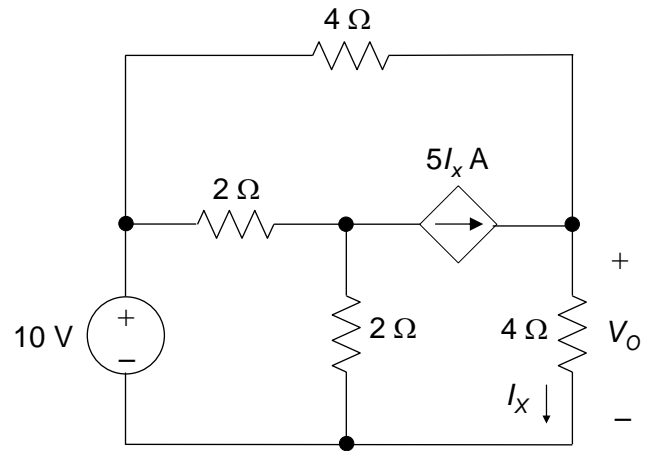


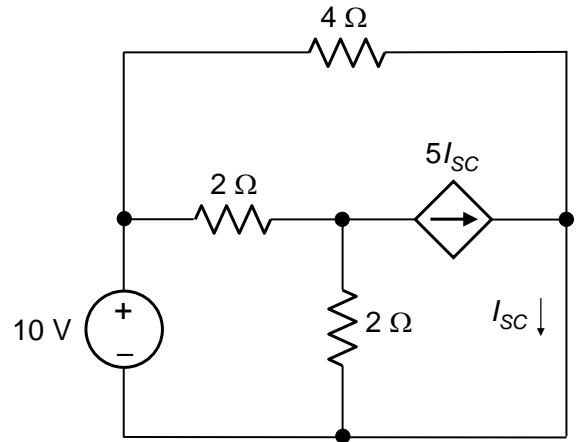
Figure P3.1.15

**Solution:** On open circuit,  $I_x = 0$ , and the dependent source becomes an open circuit. It follows that  $V_{Th} = 10$  V. On short circuit, the circuit becomes as shown, where  $I_x = I_{SC}$  and the dependent source becomes  $5I_{SC}$ . It follows from

KCL that:  $I_{SC} = 5I_{SC} + \frac{10}{4}$ , which gives

$I_{SC} = -\frac{5}{8}$  A, and  $R_{SC} = -16$  Ω. Hence

$$V_O = \frac{4}{4-16} \times 10 = -\frac{10}{3} \text{ V.}$$



**P4.1.16** Determine  $I_O$  in Fig. P3.1.17 using NEC.

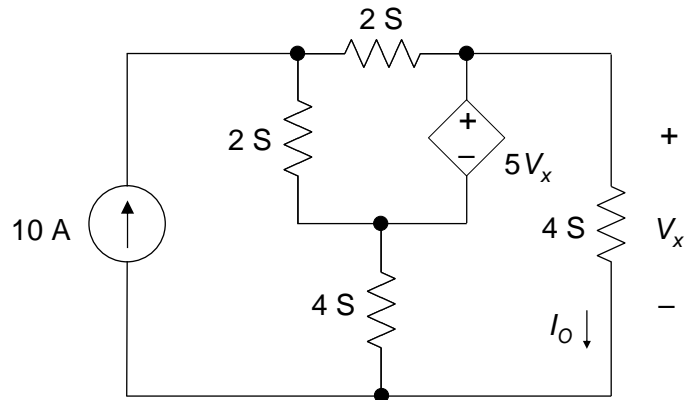


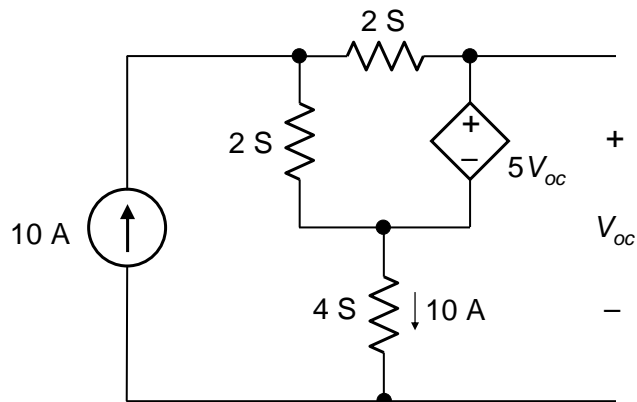
Figure P3.1.17

**Solution:** On open circuit, 10 A flows through the 4 S resistor, so that  $V_{oc} = 5V_{oc} + \frac{10}{4}$ , which gives  $V_{oc} = -\frac{5}{8}$  A. On short

circuit,  $V_x = 0$  and the dependent source is zero, so that  $I_N = 10$  A. This makes

$G_N = -16$  S. It follows that

$$I_O = \frac{4}{4-16} \times 10 = -\frac{10}{3} \text{ A.}$$



**P4.1.17** Determine  $V_O$  in Fig. P3.1.19 using NEC.

**Solution:** If the 5  $\Omega$  resistor is replaced by an open circuit, the circuit is invalid, as two unequal current sources will be connected in series through the 2  $\Omega$  resistors, and  $V_O \rightarrow \infty$ . If a test source is applied in place of the 5  $\Omega$  resistor and the current sources replaced by open circuits, the resistance seen by the source is infinite. If the 5  $\Omega$  resistor is

replaced by a short circuit,  $I_{SC} = 6$  A. It follows that the circuit does not possess a TEC between the specified terminals, only an NEC consisting of an ideal current source of 6 A. This gives  $V_O = 30$  V.

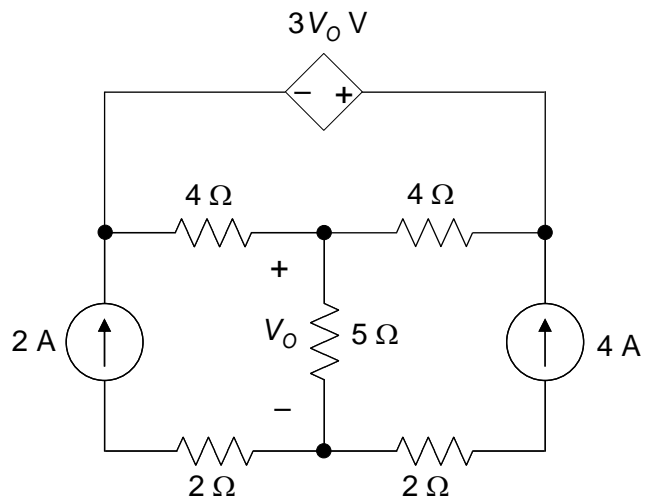


Figure P3.1.19

**P4.1.18** Determine  $I_o$  in Fig. P3.1.21 using TEC.

**Solution:** If the 5 S resistor is replaced by a short circuit, the circuit is invalid, as two unequal voltage sources will be connected in series, and  $I_o \rightarrow \infty$ . If a test source is applied in place of the 5 S resistor and the voltage sources replaced by short

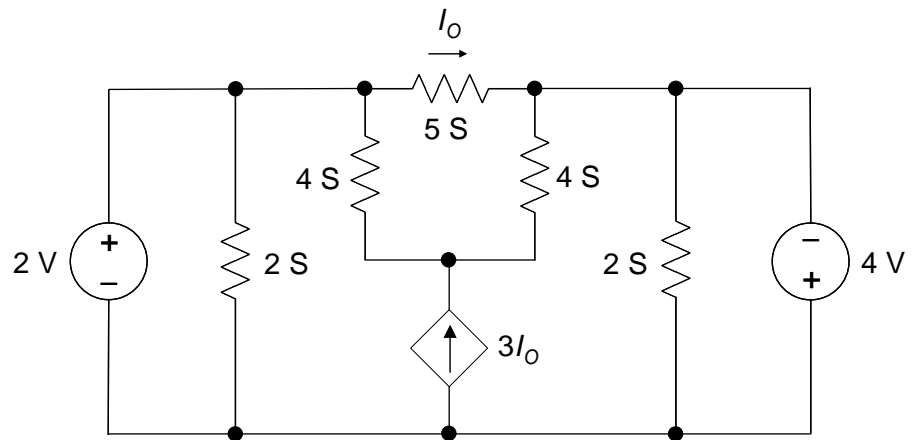


Figure P3.1.21

circuits, the resistance seen by the source is zero. If the 5 S resistor is replaced by an open circuit,  $V_{Th} = 6$  V. It follows that the circuit does not possess an NEC between the specified terminals, only a TEC consisting of an ideal voltage source of 6 V. This gives  $I_o = 30$  A.

**P4.1.19** Determine  $I_o$  in Fig. P3.1.23 using NEC.

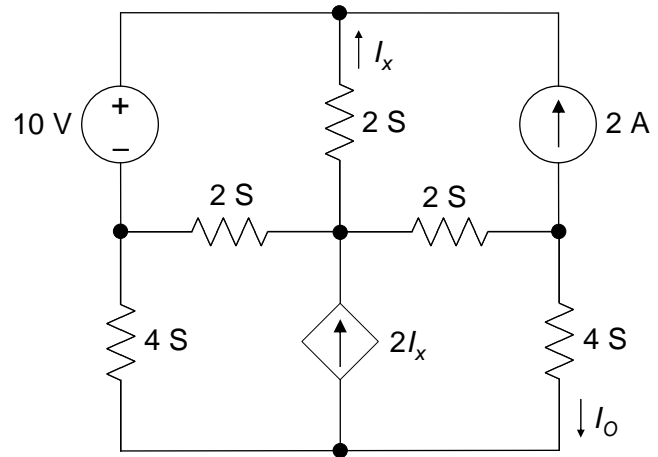
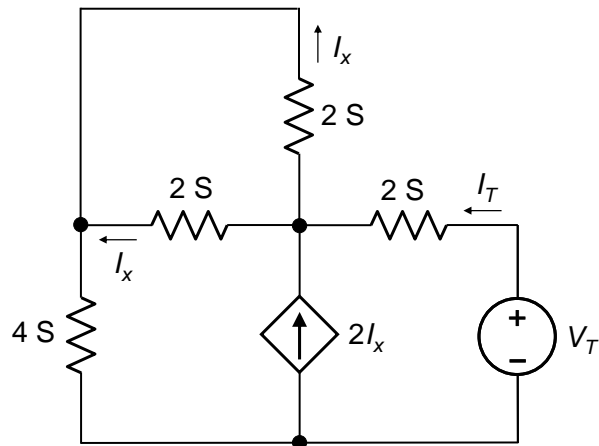
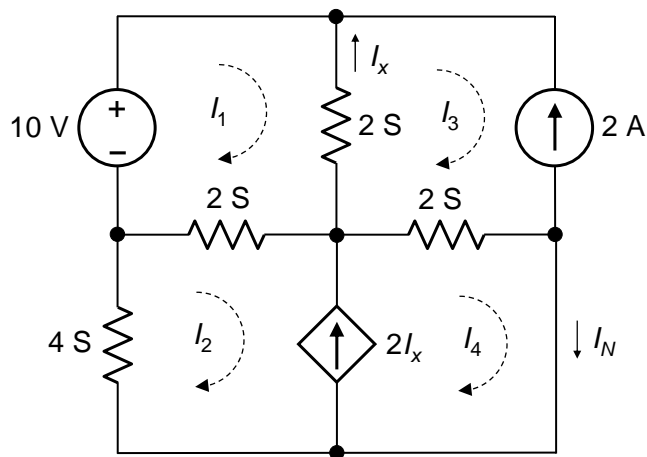


Figure P3.1.23

**Solution:** With the 4 S resistor replaced by a short circuit,  $I_o$  can be obtained from mesh-current analysis. The mesh current equations are the same as those for P3.1.24 but with a coefficient of 0.5 for  $I_4$  in the equation for mesh 4. The equations are:

$I_1 - 0.5I_2 = 9$ ;  $-0.5I_1 + 0.75I_2 + 0.5I_4 = -1$ ;  
and  $2I_1 - I_2 + I_4 = -4$ . Solving,  $I_4 = I_o = -22$  A.

If a test source is substituted for the 4 S resistor, with the independent source set to zero, it is seen from KCL at the middle node that  $I_T = 0$ , which means that the source resistance is infinite. The circuit does not possess a TEC between the specified terminals, only an NEC.



**P4.1.20** Determine  $V_O$  in Fig. P3.1.25 using TEC.

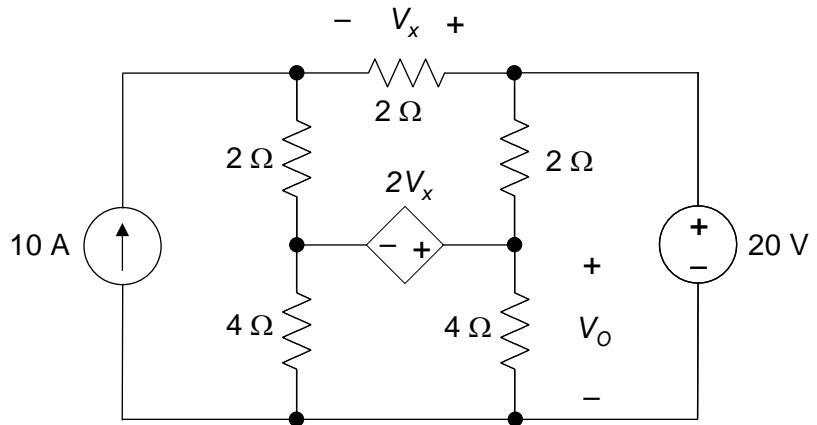
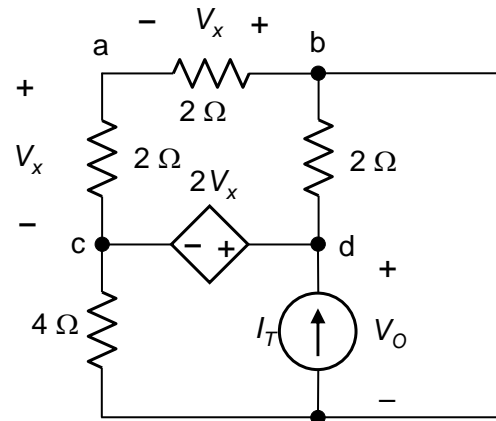
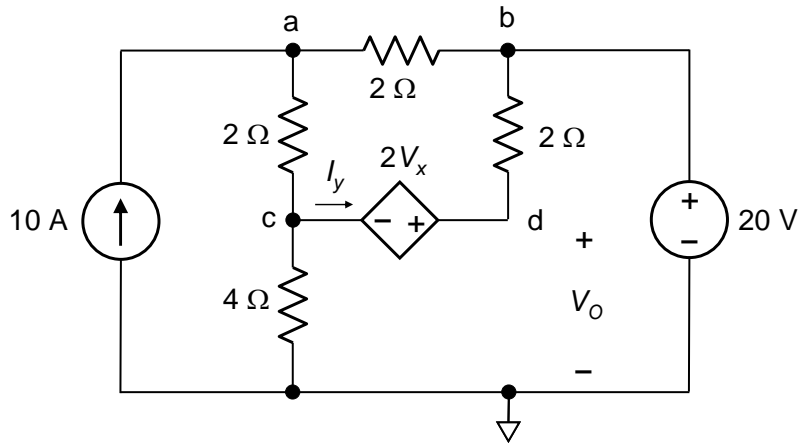


Figure P3.1.25

**Solution:** If a current source is applied at node d, with the independent sources set to zero, it is seen that  $V_{ac} = V_x$ , so that  $V_{bd} = 0$  and  $V_O = 0$ . In other words the source sees a short circuit and  $R_{src} = 0$ . If the resistor between node d and the reference node is replaced by an open circuit, the node-voltage equation at node a is:  $V_a - 0.5V_c = 20$ , and the node voltage equation at node c is:  $-0.5V_a + 0.75V_c = -I_y$ ,



where  $I_y = 0.5(V_c + 2V_x - 20) = 0.5V_c + V_a - 30$ . Substituting for  $I_y$ :  $0.25V_a + V_c = 30$ . Solving, gives  $V_a = V_c = 40$  V. Hence,  $V_x = 20$  V and  $V_d = 0$ . In other words, TEC and NEC are just short circuits,



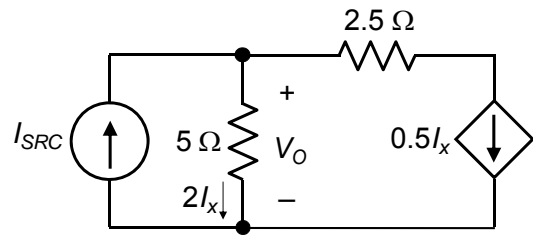
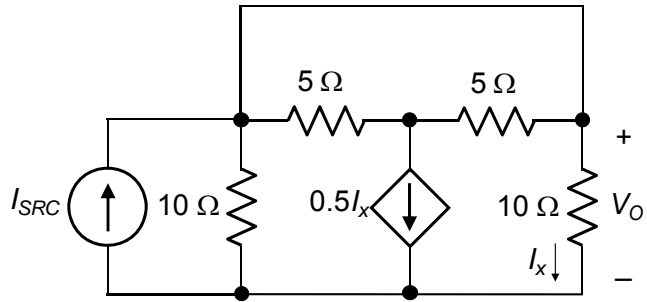
1. Determine  $V_O$  assuming  $I_{SRC} = 0.25$  A.

- A. 4 V
- B. 1 V
- C. 5 V
- D. 2 V
- E. 3 V

**Solution:** The two  $5\ \Omega$  resistances can be combined in parallel to give a  $2.5\ \Omega$  resistance, and the two  $10\ \Omega$  resistances can be combined in parallel to give a  $5\ \Omega$  resistance carrying a current of  $2I_x$ , as shown. It follows that  $I_{SRC} - 2I_x =$

$0.5I_x$ , or  $I_x = \frac{I_{SRC}}{2.5}$  and  $V_O = 10I_x$ , so that

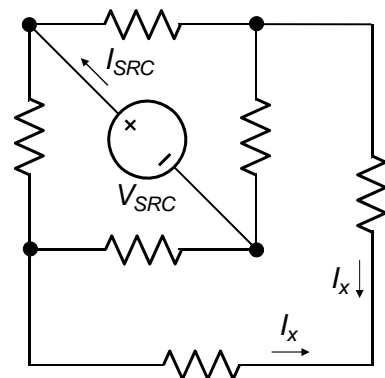
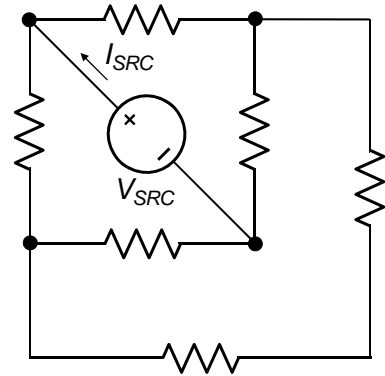
$$V_O = 4I_{SRC}.$$



2. Determine  $I_{SRC}$  assuming  $V_{SRC} = 2$  V and all resistances are  $2\ \Omega$ .

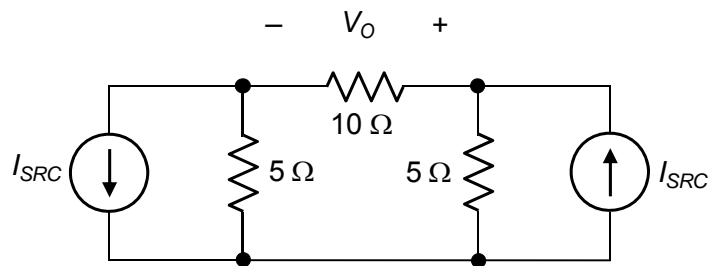
- A. 1.5 A
- B. 3 A
- C. 2.5 A
- D. 2 A
- E. 1 A

**Solution:** From symmetry the two currents  $I_x$  are equal and sum to zero. Hence,  $I_x = 0$  and the two resistors can be removed. The equivalent resistance seen by the source is  $(2 + 2) \parallel (2 + 2) = 2\ \Omega$ . It follows that  $I_{SRC} = V_{SRC}/2$ .



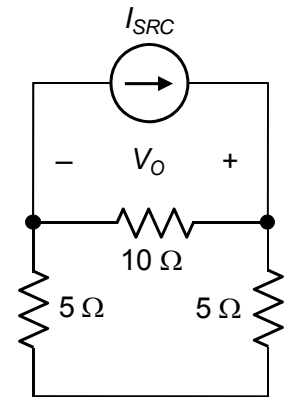
3. Determine  $V_O$  assuming  $I_{SRC} = 1$  A.

- A. 7.5 V
- B. 12.5 V
- C. 5 V
- D. 15 V
- E. 10 V



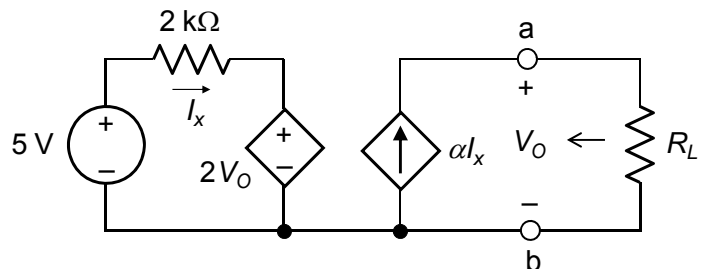
**Solution:** The two current sources are equivalent to a current source  $I_{SRC}$  connected as shown, since KCL is the same at the two nodes. The resistance seen by the source is  $10 \parallel (5 + 5) = 5 \Omega$ .

Hence,  $V_O = 5I_{SRC}$ .



4. Determine Thevenin's resistance looking into terminals ab, assuming  $\alpha = 10$ .

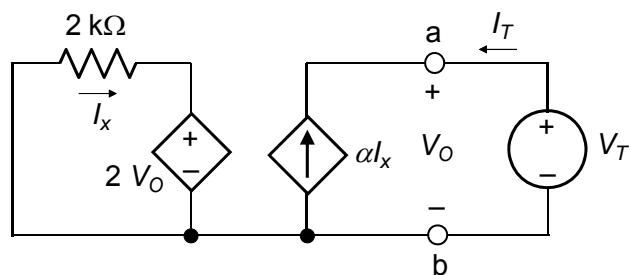
- A. 50  $\Omega$
- B. 25  $\Omega$
- C. 100  $\Omega$
- D. 200  $\Omega$
- E. 20  $\Omega$



**Solution:** When a test source  $V_T$  is applied at terminals ab, with the independent voltage source set to zero, it follows from the circuit that:

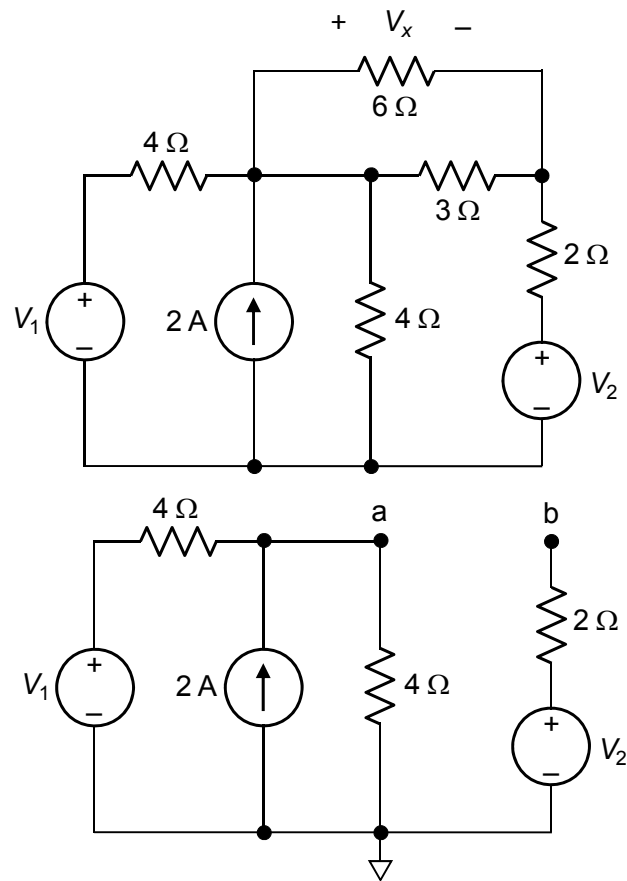
$$I_x = -\frac{2V_O}{2} = -V_O = -V_T \text{ mA. } I_T = -\alpha I_x =$$

$$\alpha V_T \text{ mA. Hence, } \frac{V_T}{I_T} = \frac{1}{\alpha} \text{ k}\Omega \equiv \frac{1000}{\alpha} \Omega.$$



5. Determine  $V_2$  so that  $V_x = 0$ , assuming  $V_1 = 4 \text{ V}$ .
- A. 8 V
  - B. 6 V
  - C. 6.5 V
  - D. 7.5 V
  - E. 7 V

**Solution:** The  $6 \Omega$  and  $3 \Omega$  resistors do not carry any current. They can be removed from the circuit, with nodes a and b being at the same voltage.  $V_1$  can be transformed to a current source  $V_1/4 \text{ A}$  in parallel with a  $4 \Omega$  resistor. The total current is  $(0.25V_1 + 2) \text{ A}$  in parallel with  $2 \Omega$ .  $V_2$  is the voltage of node a, which gives:  $V_2 = 2(0.25V_1 + 2) = (0.5V_1 + 4) \text{ V}$ .



6. Derive the mesh current equations in terms of  $I_1$ ,  $I_2$ , and  $I_3$ . DO NOT SOLVE THE EQUATIONS

**Solution:** Considering the voltage drop  $V_{ab}$  as a unit, the equation for mesh 1 is:

$$(10 + 5)I_1 - 5I_3 = 12 - V_{ab}$$

The mesh-current equation for mesh 2 is:

$$(20 + 5)I_2 - 5I_3 = V_{ab}$$

Adding these two equations:

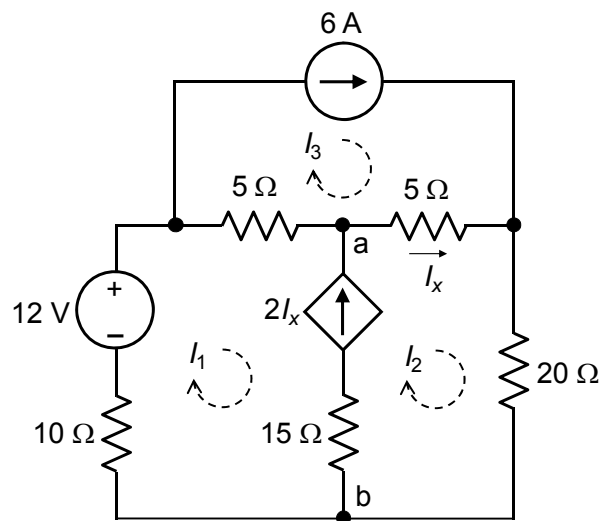
$$15I_1 + 25I_2 - 10I_3 = 12$$

The remaining equations are:

$$I_3 = 6, \text{ and}$$

$$I_2 - I_1 = 2I_x = 2(I_2 - I_3), \text{ or}$$

$$I_1 + I_2 - 2I_3 = 0$$



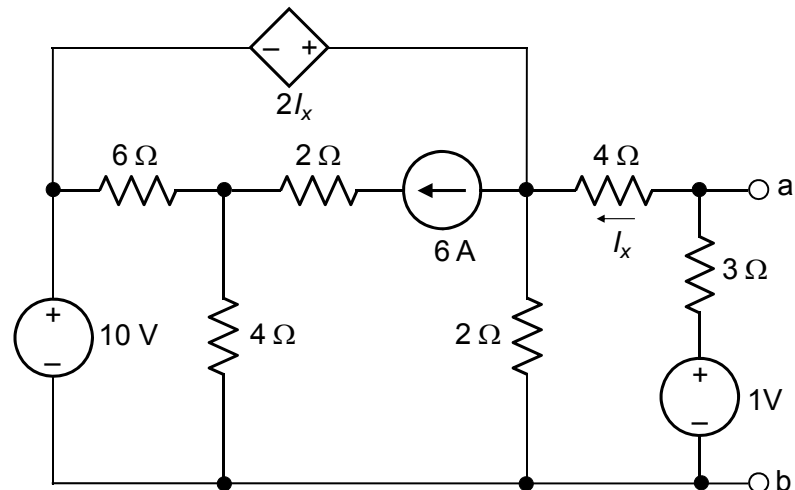
Note that if the  $15 \Omega$  resistor is denoted by  $R$  and the conventional mesh-current procedure is applied, the term in  $R$  cancels out. Thus, for mesh 1:



$(10 + 5 + R)I_1 - RI_2 - 5I_3 = 12 - V_x$ , where  $V_x$  is the voltage drop across dependent current source in the direction of  $I_1$ . For mesh 2,  $-RI_1 + (20 + 5 + R)I_2 - 5I_3 = V_x$ . Adding these two equations gives the same equation as before.

If these equations are solved,  $I_1 = 22.8$  A,  $I_2 = -10.8$  A,  $I_x = -16.8$  A,  $V_x = -804$  V.

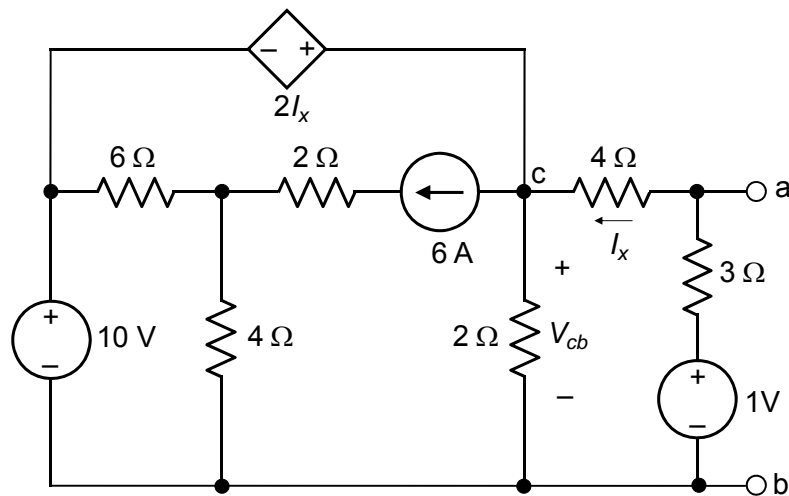
7. Determine Thevenin's equivalent circuit seen between terminals a and b



**Solution:**

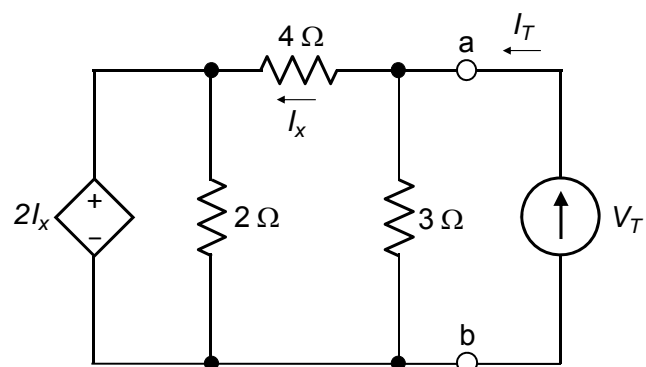
Method 1: Leave the circuit as it is. Considering the mesh on the RHS,  $1 = 3I_x + 4I_x + V_{cb}$ , where  $V_{cb} = 10 + 2I_x$ . Substituting for  $V_{cb}$  gives  $I_x = -1$  A, so that  $V_{Th} = 4$  V.

Applying a test source with the independent sources set to zero, the branch containing the 6 A source is open circuited.

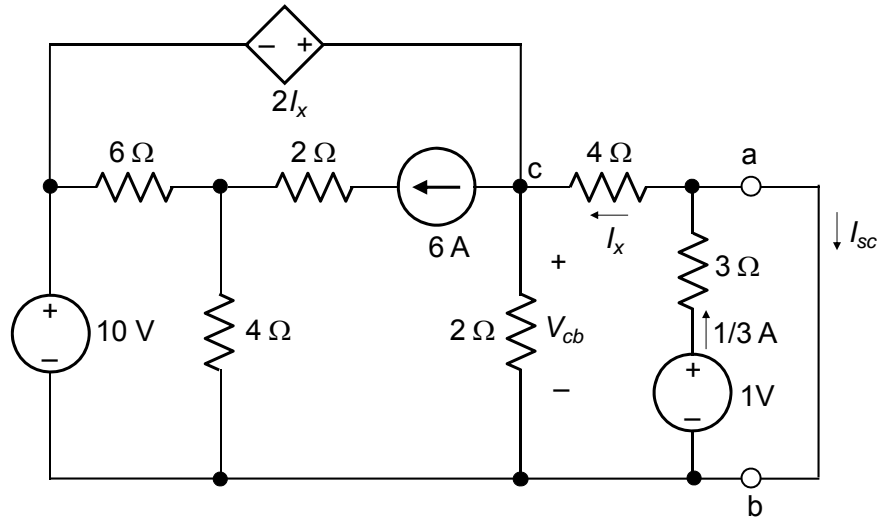


The 6 Ω and 4 Ω resistors are in parallel with one terminal at node b and the other terminal connected to an open circuit. They do not carry any current and can be removed. The circuit reduces to that shown.

$V_T = 4I_x + 2I_x = 6I_x$ , and  $I_T = I_x + V_T/3$ . Substituting for  $I_x$  gives  $V_T/I_T = R_{Th} = 2$  Ω.

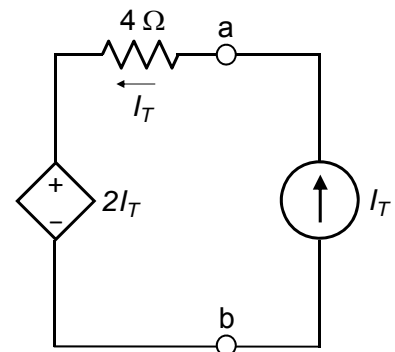


If terminals ab are short circuited, KVL around the outermost loop gives:  
 $10 + 2I_x + 4I_x = 0$ , so that  $I_x = -5/3$  A;  $I_{sc} = -I_x + 1/3 = 2$  A. It follows that  $R_{Th} = 4/2 = 2 \Omega$ .

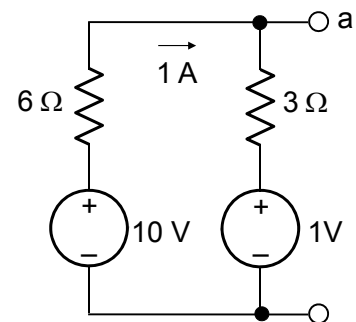


Method 2: If the branch consisting of the 1 V source in series with 3 Ω is removed,  $I_x = 0$ , the dependent source becomes a short circuit, and the open-circuit voltage between terminals a and b is the same as that of the 10 V source. Hence  $V_{Th1} = 10$  V.

If a test current source  $I_T$  is applied between terminals a and b, with the independent sources set to zero, as before, and the 2 Ω resistor removed because it is in parallel with the  $2I_x$  ideal voltage source and is redundant as far as  $V_{ab}$  is concerned, the circuit reduces to that shown. The  $2I_T$  CCVS is equivalent to a 2 Ω resistor, which in series with the 4 Ω resistor gives  $R_{Th1} = 6 \Omega$ .

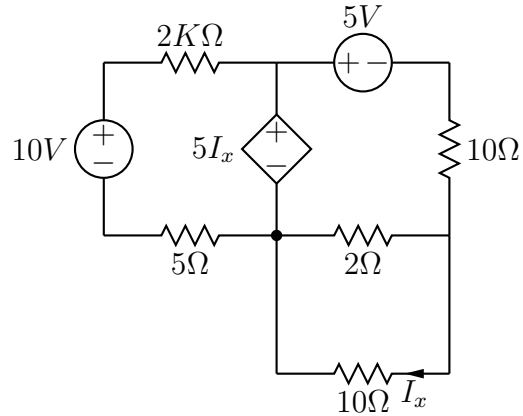


When the branch between terminals a and b is reintroduced, the circuit becomes as shown. With terminals a and b open circuited, the current in the circuit is 1 A in the direction shown and  $V_{ab} = 4$  V. If the voltage sources are set to zero, the resistance seen between terminals ab is  $(6||3) = 2 \Omega$ . Hence,  $V_{Th} = 4$  V and  $R_{Th} = 2 \Omega$ .



### Problem 3

Find  $I_x$ .

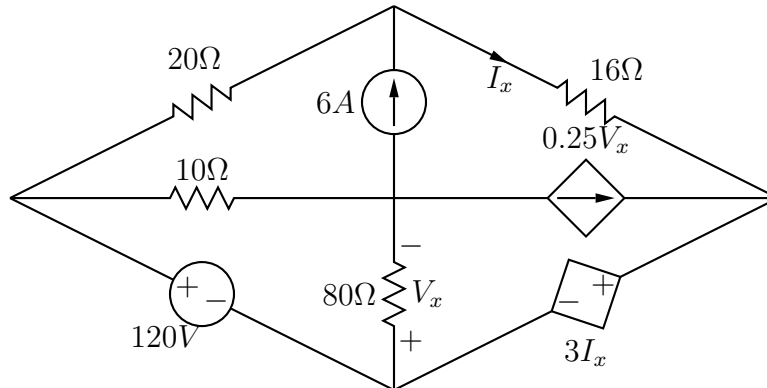


- A) 230.8A
- B) 76.92A
- C) -76.92A
- D) -230.8A

→ E) None of the above -76.92 mA

### Problem 4

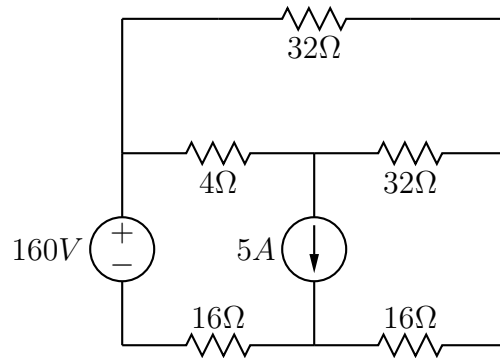
Find  $V_x$ .



- A) 130.9V
- B) -43.64V
- C) 43.64V
- D) -130.9V
- E) None of the above

### Problem 5

Find the power associated with the current source.

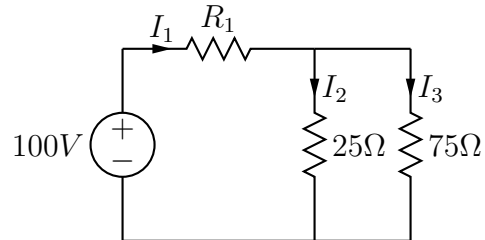


- A) 256W
- B) -200W
- C) 200W
- D) -256W

→ E) None of the above 176.9 W absorbed

### Problem 6

In the circuit below  $R_1$  is chosen such that  $I_3 = 1A$ . Find  $R_1$ .



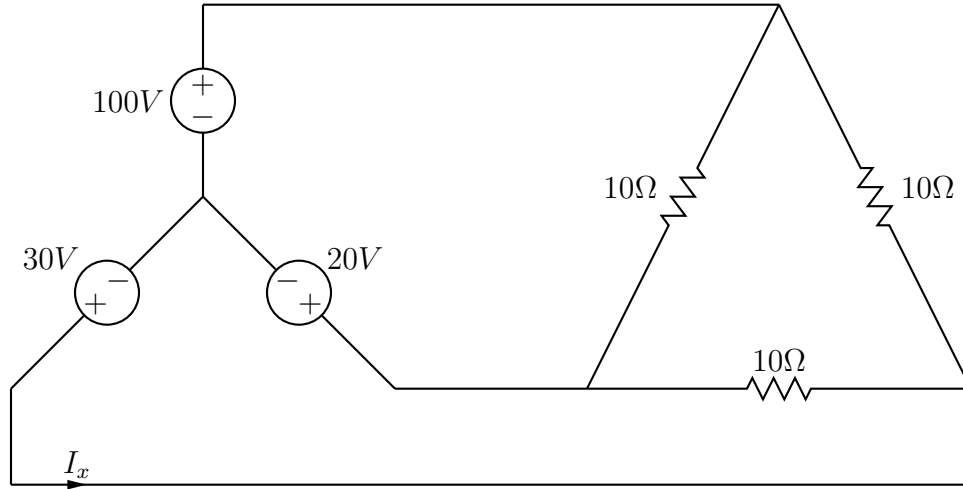
- A) 12.5Ω
- B) 16Ω
- C) 25Ω

→ D) 6.25Ω

E) None of the above

## Problem 7

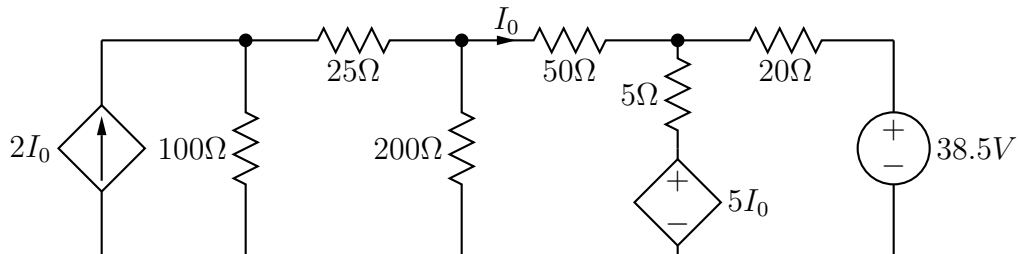
Find  $I_x$ .



- A) -6A  
B) 6A  
C) 16A  
D) -16A  
E) None of the above

## Problem 8

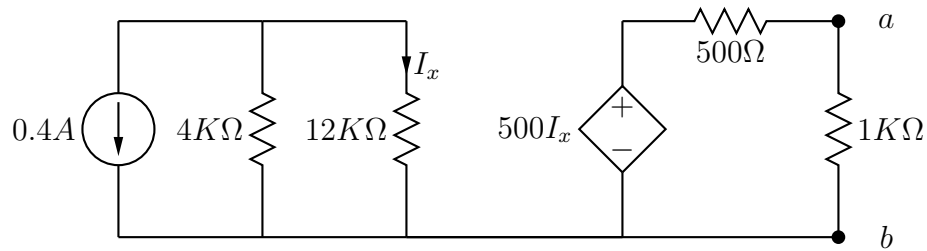
Find  $I_0$ .



- A) 1.15A  
→ B) -0.65A  
C) -1.15A  
D) 0.65A  
E) None of the above

## Problem 9

Find the Thevenin equivalent resistance between a and b.

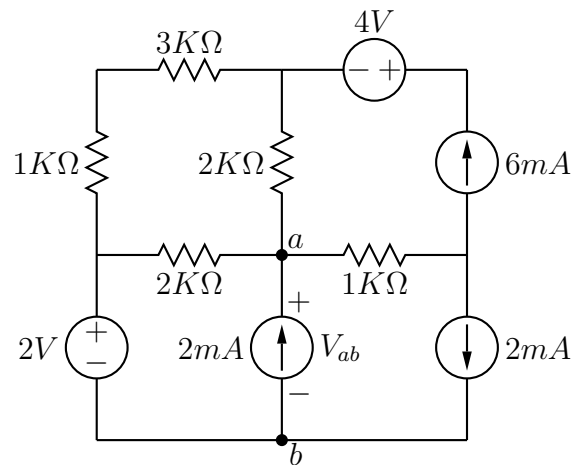


- A)  $333.33\Omega$   
B)  $250\Omega$   
C)  $83.33\Omega$   
D)  $740.46\Omega$   
E) None of the above

## Problem 10

Find the Thevenin equivalent voltage between a and b ( $V_{ab}$ ).

$V_{ab} = -1\text{ V}$



### Problem 11

Find the Thevenin equivalent resistance between a and b of the previous figure.

A)  $6\text{K}\Omega$

B)  $8\text{K}\Omega$

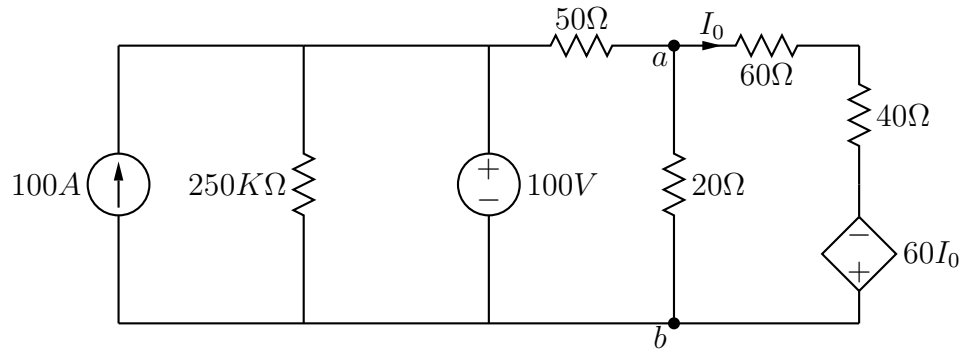
C)  $4.5\text{K}\Omega$

→ D)  $1.5\text{K}\Omega$

E) None of the above

### Problem 12

Find the Thevenin equivalent resistance between a and b.



A)  $6\Omega$

B)  $8.52\Omega$

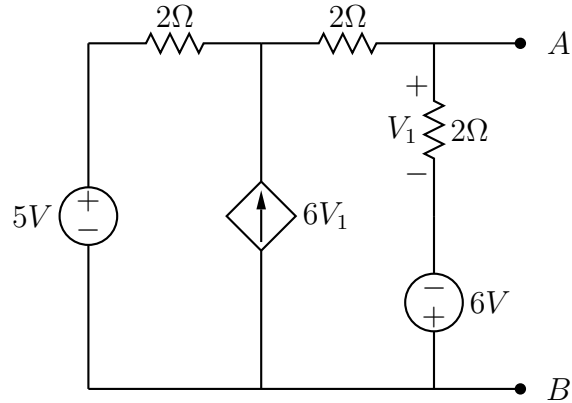
C)  $14.28\Omega$

→ D)  $10.52\Omega$

E) None of the above

## Problem 4

Find  $V_1$ .

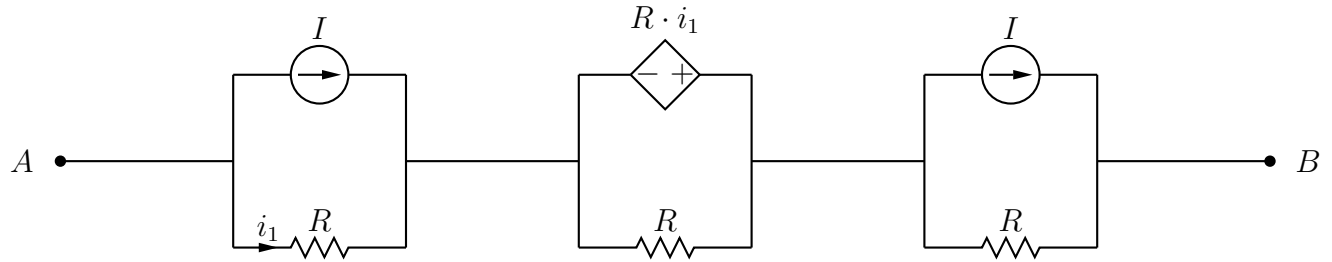


- A)  $-1.22V$
- B)  $1.22V$
- C)  $-1.57V$
- D)  $1.57V$
- E) None of the above



### Problem 5

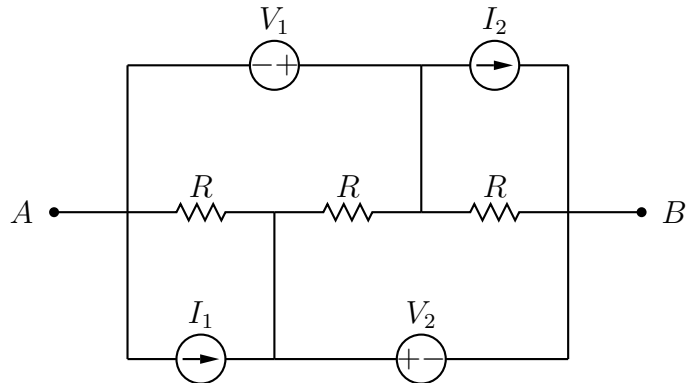
Find the Thevenin Equivalent Voltage between A and B ( $V_{AB}$ ).



- A)  $RI$
- B)  $-3RI$
- C)  $-RI$
- D)  $3RI$
- E) None of the above

### Problem 6

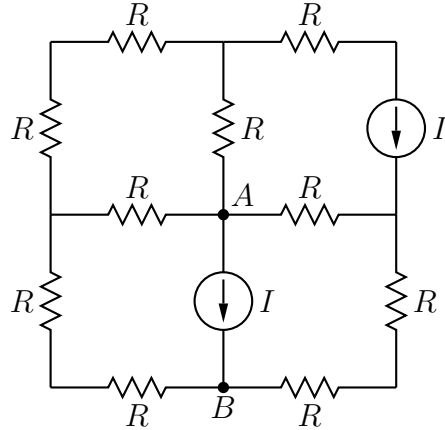
Find the Norton equivalent resistance between A and B.



- A)  $3R$
- B)  $3R/2$
- C)  $R/3$
- D)  $R$
- E) None of the above

## Problem 7

Find the Norton equivalent current source between A and B.



- A)  $-2.28I(A)$
- B)  $-1.24I(A)$
- C)  $-3.21I(A)$
- D)  $-6.42I(A)$
- E) None of the above