



American University of Beirut

الجامعة الأمريكية في بيروت

American University of Beirut  
CMPS 258  
*Programming Languages*  
Spring 2004

### Final Exam

Date: May 31<sup>st</sup>, 8:00 – 10:00am.  
Instructor: Chiraz Ben Abdelkader

Name: -----

- This exam is closed-book and closed notes. You are allowed to use **two A4 pages of notes**, front and back.
- There are a total of **7 pages** and **6 problems** for a total **100 points**.
- Please write as legibly as you can, otherwise I will NOT mark your answer!

	Prob. 1	Prob. 2	Prob. 3	Prob. 4	Prob. 5	Prob. 6	Total
Max Grade	25	12	16	22	10	15	<b>100</b>
Your Grade							

**Question 1.** (25 pts) Short-answer questions, 5 pts each

**a)** Consider the following function definition in Scheme:

```
(define (foo x)
  (IF (null? x) '())
      (IF (list? x) (car x))
      (IF (or (number? x) (symbol? x)) x '())
  )
```

Based on this definition, determine the value of each of the following s-expressions:

```
(foo 10)                -->
(foo '( (A (B)) C D))  -->
(foo 'A)                -->
```

**b)** Explain why in Prolog subgoals generally must not be proven independently (or separately) of each other; illustrate with an example. Also give an example of a compound goal statement (i.e. one containing multiple subgoals) for which it is actually okay to prove the subgoals independently.

**c)** Explain what it means for Prolog to use a depth-first, left-to-right proof strategy.

**d)** Explain why class constructors and destructors in C++ can not have a return value.

**e)** Give the meaning in English of each of the following Prolog statements. Be sure to specify the corresponding quantifiers.

- Rule: `sibling(X,Y) :- mother(Z,X), mother(Z,Y).`
- Goal: `mother(_,X).`
- Goal: `aunt(_,_).`

**ANSWERS** (use back side if necessary)

**Question 2. (12 pts) Variables**

Consider following C code:

```
class S1 {public: S1(); private: int count; /* ... */};
int N=10;
S1 *a[10];
float x;
void main()
{
    char *str; ← Point1
    str = malloc(20);
    x = 4; ← Point2
    first(N);
    free(str);
}
void first(int z) {
    S1 *a2[10];
    {
        int i;
        for (i=0; i<z; i++)
            a[i] = malloc(2);
    }
    z = z+1; ← Point3
}
```

**a)** List the kind of storage binding (i.e. static, stack-dynamic, heap-dynamic) to the right of each variable declaration or allocation.

**b)** What is the referencing environment at Point1, Point2 and Point 3?

**c)** Which variables are bound to storage when program execution reaches Point1, Point2 and Point3?

**ANSWERS** (use back side if necessary)

**Question 3.** (16 pts) Consider the following C++ code,

```
class A {
public:
    void f1();
    virtual void f2();
    void f3();
};

class B : public A {
public:
    void f2();
    void f3();
private:
    int count;
};

class C: public B {
public:
    void f1(float);
    void f2();
};

class D: {
friend class B;
public:
    void f1();
    void f2(int, float);
};

void main() {
    A a, *pA;
    B b;
    C c;
    D d;
}
```

**a)** For each of the objects a, b, c and d in main, indicate which member methods can be called/accessed by that object. Use the scope operator to indicate the class of each method; for example A::f1(). Also indicate when a method is **overridden** or **overloaded**.

**b)** For each of the objects a, b, and c, indicate which member methods can be called if the object were referenced through pointer pA instead.

**ANSWERS** (use back side if necessary)

**Question 4.** (22 pts) Prolog

a) Consider the following fact and rule statements in Prolog:

```
sibling(X,Y) :- parent(Z,X),parent(Z,Y)
parent(mary, john) .
parent(mary, mike) .
```

Show how the resolution logical inference rule can be applied over multiple (two) steps to show that `sibling(mike, john)` is true.

*Hint:* you will need to make appropriate variable substitutions. Clearly indicate any such substitutions made in each resolution step.

b) Consider the following fact and rule statements in Prolog:

```
may_steal(Person,Thing) :- thief(Person),
                             likes(Person,Thing), valuable(Thing) .
likes(joe, fish) .
likes(joe, mary) .
likes(mary, fish) .
likes(mary, joe) .
thief(joe) .
valuable(X) .
```

Based only on these rules and facts, what would be Prolog's answer to the query: `may_steal(X, Y)` . If the answer is *yes*, give all the possible values of X and Y.

c) Write Prolog rules to express the following human relationships:

**Relative(X, Y)** : A person is your relative if s/he is your mother, father, grandmother, grandfather, sibling, aunt, uncle, nephew, niece, first cousin, or second cousin.

**CannotMarry(X, Y)** : You cannot marry someone who is your relative or who is of the same gender.

**Aunt(X, Y)** : Your aunt is your parent's sister or the wife of your parent's brother.

d) Consider the following rule in Prolog:

```
CanMarry(X, Y) :- not(CannotMarry(X, Y)) .
```

Suppose Prolog answers the query `CanMarry(john, ann)` with a *yes*. Does this really imply that John and Ann indeed *can* marry? Discuss how this relates to the closed-world and negation limitations of Prolog?

**ANSWERS** (use back side if necessary)

**Question 5.** (10 points) Pointers in C

Consider the following C code:

```
void foo(int *left, int *right) {
    int temp = *right;
    *left = *right * 2;
    *right = temp / 2;
}

void main() {
    int A = {15,0,21,-11,3};
    int *p1, *p2;
    p1 = &A[0];
    p2 = &A[4];
    int i = 0;
    for (i=1; i<=5; i++) {
        foo(p1,p2);
        p1++;
        p2--;
    }
}
```

Assuming the base address of array A is 3120, fill in the table below showing the **memory contents** of each variable right before the loop ( $i=0$ ) and at the end of each **for** loop iteration ( $i=1,2,3,4,5$ ).

Variables	Iterations (i)					
	0	1	2	3	4	5
A	15,0,21,-11,3					
p1	3120					
p2						

**Question 6.** (15 pts) Scheme

- a) Suppose you have a list of pairs in which symbols are paired with an integer. For e.g.  
(Mark 15) (Angela 27) (Joe 11))

Write a Scheme function **update** that takes a list *lis* of the above form and a symbol *symb*. If the symbol is already in the list, then it returns a list with the corresponding count updated. If the symbol is not present in the list, then it adds the pair (*symb* 1) to the list. So for example:

```
(update 'Joe '((Mark 15) (Angela 27) (Joe 11))) -->
((Mark 15) (Angela 27) (Joe 12))
```

```
(update 'Nadia '((Mark 15) (Angela 27) (Joe 11))) -->
((Mark 15) (Angela 27) (Joe 11) (Nadia 1))
```

```
(DEFINE (update symb lis)
```

- b) Write a Scheme function **set-equal?** that tests whether two given sets *S1* and *S2* are equal. A set is represented as a list and its members are the top-level elements of that list. Two sets are equal if they contain exactly the same members, ignoring ordering. For example,

```
(set-equal? '(1 2 3) '(3 2 1)) --> #t
(set-equal? '(A B) '((A) B)) --> ()
```

You may assume that *S1* and *S2* do not contain duplicate members.

```
(DEFINE (set-equal? S1 S2)
```

- c) Write a Scheme function **set-intersect** that computes the intersection of two given sets *S1* and *S2*, as defined in (c). For example,

```
(set-intersect '(3 2 1) '(1 4)) --> (1)
(set-intersect '(A B) '((A) B)) --> (B)
```

Again, you may assume that *S1* and *S2* do not contain duplicate members.

```
(DEFINE (set-intersect S1 S2)
```

**ANSWERS** (use back side if necessary)